

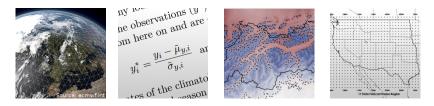


### Standardized Anomaly Model Output Statistics Over Complex Terrain

Reto.Stauffer@uibk.ac.at



# Outline



- statistical ensemble postprocessing
- introduction to SAMOS
- new snow amount forecasts in Tyrol
- sub-seasonal anomaly prediction over the U.S.

### **Numerical Weather Prediction**

- 1 analysis:  $\rightarrow$  current state
- **2** forecast:  $\rightarrow$  future state

### **Error Sources**

- observations
- simplified model world
- numerical approximation
- "unknown" atmospheric processes

### **Ensemble Prediction Systems**

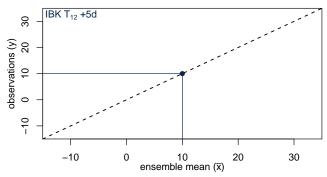
- to quantify the uncertainty
- number of members restricted
- typically underdispersive

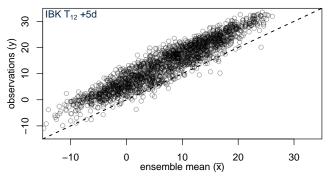
#### **Forecast Error**

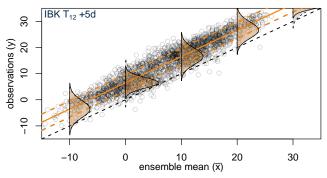
- total error = noise + systematic errors
- noise: unsystematic error
- *systematic errors*: correction possible

### **Ensemble Postprocessing**

- correct bias
- correct uncertainty
- discrete  $\rightarrow$  full distribution
- probabilities, quantiles, extremes







### Non-homogeneous Gaussian Regression (NGR, EMOS)

$$\begin{aligned} \mathbf{y} \sim \mathcal{N}(\boldsymbol{\mu}, \sigma) \\ \boldsymbol{\mu} &= \beta_0 + \beta_1 \cdot \bar{\mathbf{x}} \\ \log(\sigma) &= \gamma_0 + \gamma_1 \cdot \log(s_x) \end{aligned}$$

# Spatial Postprocessing



#### • allows station-wise corrections

• not suitable for spatial predictions

Alternative approach required.

#### What is SAMOS?







#### What is SAMOS?

### "A **probabilistic spatio-temporal ensemble postprocessing method** using climatological background information to **remove site specific characteristics**, which allows to **estimate one** simple **regression model** for all stations and forecast lead times **at once**."

#### **Reminder: NGR**

$$\begin{aligned} \mathbf{y} \sim \mathcal{N}(\boldsymbol{\mu}, \boldsymbol{\sigma}) \\ \boldsymbol{\mu} &= \beta_0 + \beta_1 \cdot \bar{\mathbf{x}} \\ \log(\boldsymbol{\sigma}) &= \gamma_0 + \gamma_1 \cdot \log(s_x) \end{aligned}$$

#### $\text{NGR} \rightarrow \text{SAMOS}$

Transform all quantities (y, x) into standardized anomalies:

$$y^* = rac{y - ilde{\mu}_y}{ ilde{\sigma}_y}, \quad x^* = rac{x - ilde{\mu}_x}{ ilde{\sigma}_x}$$

 $y^*$ ,  $x^*$ : standardized anomalies

 $\tilde{\mu}_{\bullet}$ ,  $\tilde{\sigma}_{\bullet}$ : climatological properties of y, x



#### **Gaussian SAMOS**

$$\begin{aligned} \mathbf{y}^* &\sim \mathcal{N}(\mu^*, \sigma^*) \\ \mu^* &= \beta_0 + \beta_1 \cdot \bar{\mathbf{x}^*} \\ \log(\sigma^*) &= \gamma_0 + \gamma_1 \cdot \log(\mathbf{s}^*_{\mathbf{x}}) \end{aligned}$$

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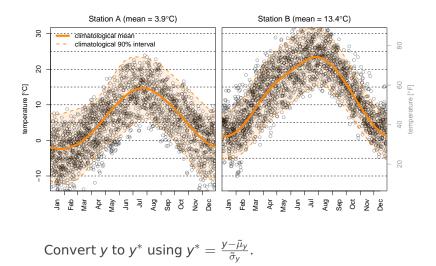
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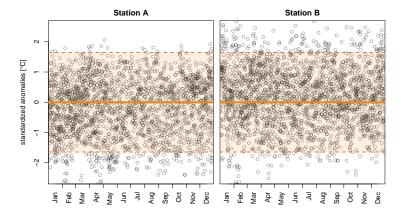
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# SAMOS Summary

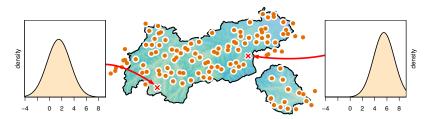
### **Spatio-Temporal Climatologies**

- Account for ...
- seasonal and diurnal patterns,
- spatial differences (longitude, latitude, altitude),
- and possible interactions.

### **Standardized Anomalies**

- location or station independent
- independent from season and time

# SAMOS Summary



#### **On the Anomaly Scale**

- combine data from all stations and lead times
- estimate one "simple" model for the area of interest
- **correct** current ensemble forecast  $\rightarrow \mu^*$ ,  $\sigma^*$
- de-standardize:

$$\mu = \mu^* \cdot \tilde{\sigma_y} + \tilde{\mu}_y$$

$$\sigma = \sigma^* \cdot \sigma_y$$

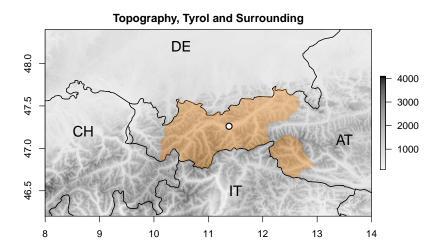


(cc) 🛊

# Hourly Probabilistic Snow Forecasts Over Complex Terrain

A Hybrid Ensemble Postprocessing Approach

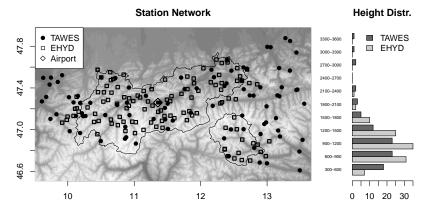
R Stauffer, GJ Mayr, JW Messner, A Zeileis



Problem: lack of reliable fresh snow observations.

### Idea: Hybrid Approach

- forecast temperature & precipitation instead
- SAMOS
  - hourly temperature forecasts
  - daily precipitation forecasts
- ensemble copula coupling
  - restore spatio-temporal structure
  - convert temperature & precipitation into snow



#### NOAA/PSD Seminar Talk - May 21, 2018

### **Observation Data**

- hourly 2 m air temperature: 90 stations, up to 10+ years
- daily precipitation sums: 110 stations, up to 40+ years

#### **Numerical Weather Forecast Data**

ECMWF hindcast

- 10 + 1 member ensemble
- 6-hourly output
- initialized twice a week (0000 UTC, 20 years)

### ECMWF ensemble

- 50 + 1 member ensemble
- hourly output
- initialized 0000 UTC

### **SAMOS Model Assumptions**

Temperature

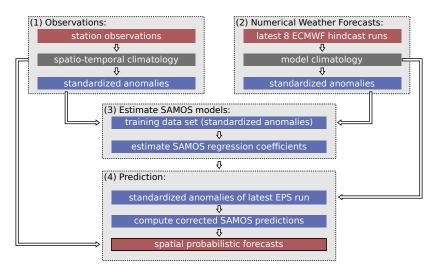
$$\begin{aligned} T^* \sim \mathcal{N}(\mu^*, \sigma^*) \\ \mu^* &= \beta_0 + \beta_1 \cdot \bar{x}^* \\ \log(\sigma^*) &= \gamma_0 + \gamma_1 \cdot \log(x^*) \end{aligned}$$

 $x^*$ : std. anomalies of the 2m temperature.

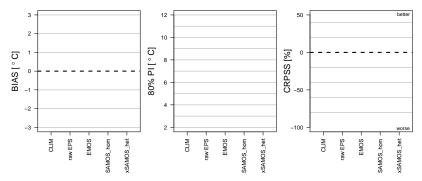
Precipitation

$$precip^{p^*} \sim \mathcal{L}_{cens}(\mu^*, \sigma^*)$$
$$\mu^* = \beta_0 + \beta_1 \cdot \bar{x}^* \cdot (1 - z) + \beta_2 \cdot z$$
$$\log(\sigma^*) = \gamma_0 + \gamma_1 \cdot \log(s_x^*) \cdot (1 - z)$$

x\*: std. anomalies of power-transformed total precipitation.z: split-variable (binary) to handle unanimous predictions.

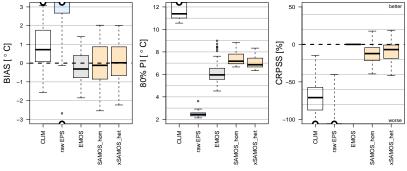


#### **Temperature Forecasts**



Verification: Dec 2016 - mid April 2017.

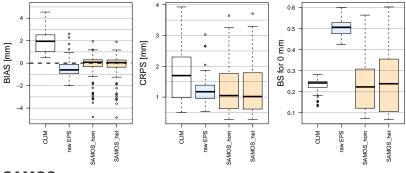
### **Temperature Forecasts**



### SAMOS

- Slightly outperformed by EMOS, ...
- but allows for spatial predictions.
- Ensemble spread: barely any additional information.

### 24 h Precipitation Forecasts



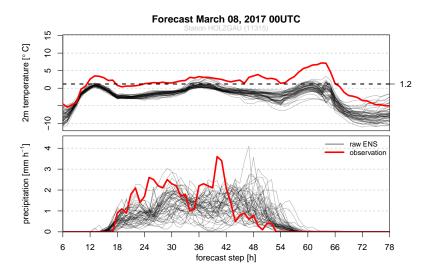
### SAMOS

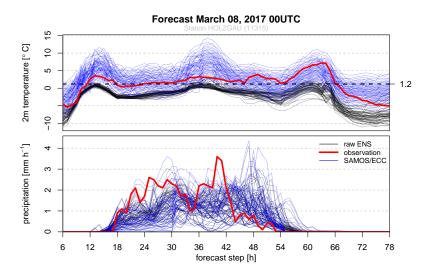
- Outperforms raw EPS, less skillful than for temperature.
- Ensemble variance barely any additional information.

### How to Get Hourly Snow Predictions?

- combine temperature/precipitation using ECC
- temperature:
  - draw 51 member ensemble from corrected hourly  ${\cal N}$
  - restore rank order structure
- 24 h precipitation:
  - draw 51 member ensemble from corrected  $\mathcal{L}_0$
  - restore rank order structure
- hourly precipitation:
  - re-weight raw hourly ensemble forecasts using:

$$\omega_{ms} = rac{t \hat{p}_{copula,ms}}{t p_{EPS,ms}}$$

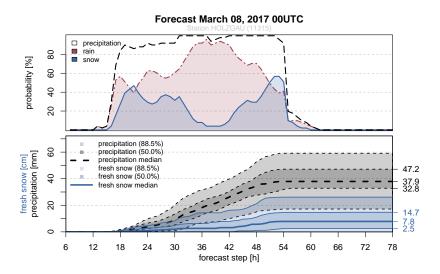


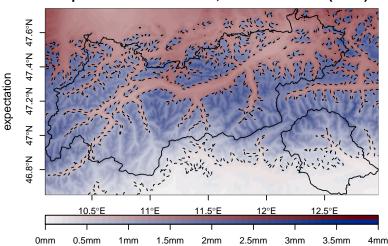


### **Hourly Snow Forecasts**

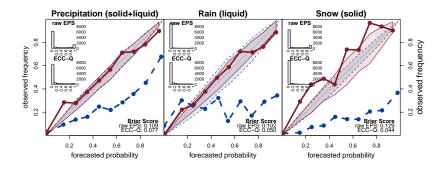
$$PI_{ms} = \begin{cases} \text{"dry" if:} \\ \text{precipitation}_{ms} \leq 0.05 \, \frac{mm}{h} \\ \text{"rain" if:} \\ \text{precipitation}_{ms} > 0.05 \, \frac{mm}{h} \wedge T_{2m,ms} > 1.2^{\circ} C \\ \text{"snow" if:} \\ \text{precipitation}_{ms} > 0.05 \, \frac{mm}{h} \wedge T_{2m,ms} \leq 1.2^{\circ} C \end{cases}$$

PI: precipitation type indicator {dry, rain, snow} m/s: copula member and forecast step





#### Expectation for March 10, 2017 00:00 UTC (+48h)



Empirical frequencies: precipitation 15.8 %, rain 9.8 %, snow 7.5 %.

# Snow Forecasts Summary

- ensemble spread: barely any information
- large spread for postprocessed temperature
- improvements: more pronounced for temperature
- combine different data sources
- use data sets with different temporal resolution
- reliable hourly probabilistic spatial snow forecasts



# Sub-Seasonal Climate Forecast Rodeo

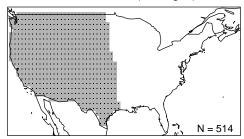
Improve Existing Sub-Seasonal Forecasts, Bureau of Reclamation





#### **The Challenge**

- predict anomalies
- mean temperature and accumulated precipitation
- week 3-4 and 5-6



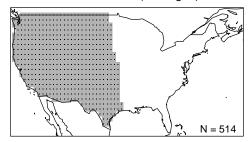
Area of Interest (1°x1° grid)

#### **The Price**

- 800 000 USD in total
- iff. anomaly forecasts are significantly better than:

a damped persistence

the CFSv2 itself



Area of Interest (1°x1° grid)

#### The Truth

- Climate Prediction Center's gridded data set
- gridded gauge data set
- gridded temperature data set
- climatology: 2-week mean 1981–2010

#### The Forecasts

- 4 member CFSv2
- mean over 8 runs (8  $\times$  4 = 32 member mean)

#### The Measure

$$ACC = \frac{\sum (f' \cdot o')}{\sqrt{\sum o'^2 \cdot \sum f'^2}}$$

#### The Idea

- CPC: provides observation climatology ( $\tilde{\mu}_y$ ,  $\tilde{\sigma}_y$ )
- CVSv2 reforecasts: provide ensemble climatology ( $\tilde{\mu}_x$ ,  $\tilde{\sigma}_x$ )
- apply "complex" homoscedastic AMOS/SAMOS

#### **Model Assumption**

$$\mathbf{y}^* \sim \mathcal{D}(\mu^*, \sigma^*)$$

Where  $\mu^*$  may include:

- forecasted anomalies (2 m temperature, dewpoint, ...)
- spatial effects f(long, lat)
- teleconnection indices (NAO, NA, PNA; CPC)
- snow cover data (NSIDC)

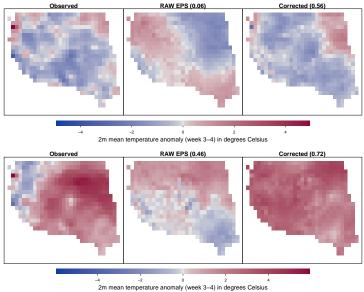
#### **ECMWF Based Approach**

- temperature (week 3-4)
- Gaussian AMOS
- 70 covariates
- optimization:

based on R package bamlss

likelihood-based gradient boosting

variable selection & parameter estimation



## The Rodeo Leader Board

#### Weeks 3&4 Temperature

Team	Newest Score	Average Score 🔻
bgzimmerman	-0.0994	0.2855
prxwx	-0.1821	0.2265
StillLearning	0.029	0.217
DampedPersistence	-0.0794	0.1952
CFSv2	-0.3997	0.1589
asanteko2000	-0.1117	0.0909
lupoa13	-0.2187	0.0895
Salient	0.05	-0.1365

#### Weeks 3&4 Precipitation

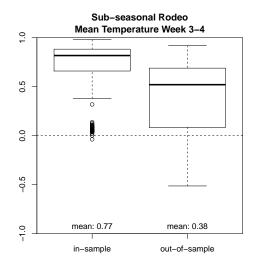
Team	Newest Score	Average Score 🔻
Salient	0.7758	0.2144
prxwx	0.0921	0.1711
lupoa13	-0.1367	0.1246
CFSv2	0.1837	0.0713
StillLearning	0.7987	0.0227
bgzimmerman	0.1087	-0.0221
asanteko2000	-0.7981	-0.0612
DampedPersistence	-0.7996	-0.1463

#### Weeks 5&6 Temperature

Team	Newest Score	Average Score 🔻
bgzimmerman	-0.4472	0.2357
CFSv2	0.5267	0.2192
StillLearning	0.1436	0.2044
prxwx	0.3105	0.2026
lupoa13	-0.5854	0.1675
asanteko2000	-0.1046	0.0897
DampedPersistence	0.1084	-0.0762
Salient	-0.8229	-0.09

#### Weeks 5&6 Precipitation

Team	Newest Score	Average Score 🔻
Salient	0.5897	0.2162
prxwx	0.0995	0.1208
StillLearning	0.5816	0.0941
lupoa13	0.0916	0.0931
bgzimmerman	0.303	0.0773
CFSv2	0.0692	0.0227
asanteko2000	-0.5561	-0.0879
DampedPersistence	-0.4375	-0.1613



## References I

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Dabernig, M, GJ Mayr, JW Messner, and A Zeileis, 2017: Spatial Ensemble Post-Processing with Standardized Anomalies. *Quarterly Journal of the Royal Meteorological Society*, **143**, 909–916, doi:10.1002/qj.2975.

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10.1175/MWR-D-16-0413.1.

## References II

Gebetsberger, M, JW Messner, GJ Mayr, and A Zeileis, 2016: Tricks for Improving Non-Homogeneous Regression for Probabilistic Precipitation Forecasts: Perfect Predictions, Heavy Tails, and Link Functions. Working Papers, Faculty of Economics and Statistics, University of Innsbruck.

Stauffer R, GJ Mayr, JW Messner, and A Zeileis, 2018: Hourly Probabilistic Snow Forecasts over Complex Terrain: A Hybrid Ensemble Postprocessing Approach. Working papers, Faculty of Economics and Statistics, University of Innsbruck.



#### Thank you for your attention and special thanks to Tom for the invitation!

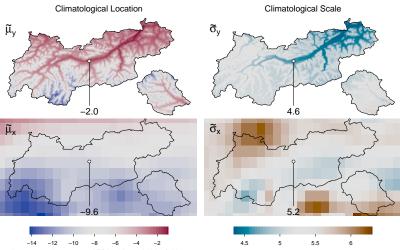




# Appendix

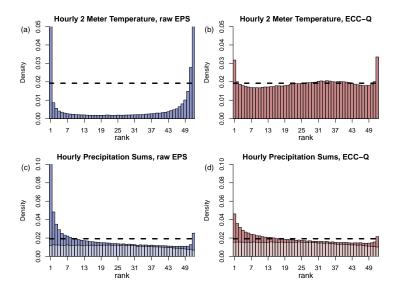


## SAMOS

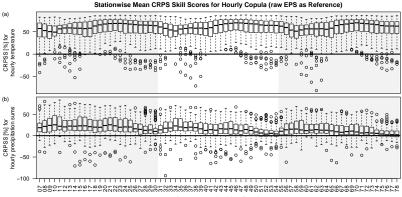


2m air temperature, January 1, 0000 UTC (+24h forecast). Unit: °Celsius

## Snow Forecast: Hourly Calibration



## Snow Forecast: Hourly Verification



forecast step or lead time (hours)